CO-REGISTRATION BETWEEN MULTISOURCE REMOTE-SENSING IMAGES

Joz Wu*a, Chi Chang b, Hsien-Yu Tsai b, Ming-Che Liu b

a CSRSR, National Central University, Jhongli, Taiwan – jozwu@csrsr.ncu.edu.tw
b Dept. of Civil Engineering, National Central University, Jhongli, Taiwan – ssnl@csrsr.ncu.edu.tw

Commission III, WG III/5

KEY WORDS: Registration, Least-Squares Matching, SIFT, TPS, RANSAC

ABSTRACT:

Image registration is essential for geospatial information systems analysis, which usually involves integrating multitemporal and multispectral datasets from remote optical and radar sensors. An algorithm that deals with feature extraction, keypoint matching, outlier detection and image warping is experimented in this study. The methods currently available in the literature rely on techniques, such as the scale-invariant feature transform, between-edge cost minimization, normalized cross correlation, least-squares image matching, random sample consensus, iterated data snooping and thin-plate splines. Their basics are highlighted and encoded into a computer program. The test images are excerpts from digital files created by the multispectral SPOT-5 and Formosat-2 sensors, and by the panchromatic IKONOS and QuickBird sensors. Suburban areas, housing rooftops, the countryside and hilly plantations are studied. The co-registered images are displayed with block subimages in a criss-cross pattern. Besides the imagery, the registration accuracy is expressed by the root mean square error. Toward the end, this paper also includes a few opinions on issues that are believed to hinder a correct correspondence between diverse images.

1. INTRODUCTION

In general, there are image feature- and area-based matching methods. Linear features can be extracted from a portion of an image where the gray-level gradient varies (Tupin and Roux, 2003). On the other hand, the coefficient of correlation between two image windows may serve as an index for gauging the degree of similarity (Wolf and Dewitt, 2000). A hybrid method allowing for both feature- and area-based matching techniques is considered more versatile than either method operating alone. No doubt, the design of a hybrid strategy could lead to a more complex algorithm with heavy computation. Often, this is a blessed trade-off because of the increased reliability of point determination.

This paper is motivated to devise an algorithm that stresses not only the matching accuracy and robustness between images, but also the scale- and rotation-invariance between them. Many generic methods for feature extraction and image registration exist (Dare and Dowman, 2001; Mikolajczyk and Schmid, 2005). In particular, Lowe (2004) published a scale-invariant feature transforming methodology, which allows us to generate a large number of descriptor-based keypoints. Gross errors in the coordinates of the image keypoints have to be detected and removed, on a probabilistic basis (Schwarz and Kok, 1993; Vemebusch et al., 2009). Indeed, the filtered feature points possess good matching, random sample consensus, iterated data snooping and thin-plate splines. Their basics are highlighted and encoded into a computer program. The test images are excerpts from digital files created by the multispectral SPOT-5 and Formosat-2 sensors, and by the panchromatic IKONOS and QuickBird sensors. Suburban areas, housing rooftops, the countryside and hilly plantations are studied. The co-registered images are displayed with block subimages in a criss-cross pattern. Besides the imagery, the registration accuracy is expressed by the root mean square error. Toward the end, this paper also includes a few opinions on issues that are believed to hinder a correct correspondence between diverse images.

2. METHODOLOGY

2.1 Feature Points by SIFT

The SIFT (Scale-Invariant Feature Transform) algorithm by Lowe (2004) has been famously known for its insensitivity to imaging scale and orientation changes, and to scene illumination differences, thereby allowing it to be widely accepted in disciplines like computer vision, photogrammetry and remote sensing. In the framework of image pyramiding, convolution with blurring Gaussian kernels is carried out first. The images are consecutively differenced to yield a stack of scale-space images containing potential high-pass feature points.

Symbol \( D \) is used to represent the resulting images as

\[
D(x) = D + \left( \frac{\partial D}{\partial x} \right)^T x + \frac{1}{2} \left( \frac{\partial^2 D}{\partial x^2} \right) x^2,
\]

based on truncated Taylor’s expansion with the capital superscript standing for transposition, and with \( x^T = (x, y, \sigma) \), a vector having the line \( x \) (pixel), sample \( y \) (pixel) and scale \( \sigma \) coordinates. For an extreme keypoint, the differentiated equation of \( D \) with respect to \( x \) is

\[
\frac{\partial^2 D}{\partial x^2} x + \left( \frac{\partial D}{\partial x} \right) x = 0.
\]

Consequently, one obtains

\[
x = -\left( \frac{\partial^2 D}{\partial x^2} \right)^{-1} \left( \frac{\partial D}{\partial x} \right) x.
\]

After back-substitution, the image is identified as

\[
D(x) = D + \frac{1}{2} \left( \frac{\partial D}{\partial x} \right)^T x^2.
\]

The magnitude and orientation of gray-level gradients in the image closest to a keypoint results in an orientation histogram that accounts for a relative rotation between image windows, within a plus or minus 5-degree tolerance. Based on the aligned image at a keypoint, an SIFT user sets up a vector of 128 descriptive elements. Search for the corresponding point to form a pair relies on a minimization of the Euclidean distance between two descriptive vectors.

2.2 Area-based Matching

Generally speaking, the method of LSM (Least-Squares Matching) outperforms that of normalized cross correlation because the former incorporates affine parameters into the

* Corresponding author. This is useful to know for communication with the appropriate person in cases with more than one author.
matching model. For the target \( g(x, y) \) and search \( q(l, s) \) images, the line and sample coordinates (pixel) are expressed as

\[
l = a_0 + a_1 x + a_2 y, \quad s = b_0 + b_1 x + b_2 y,
\]

with the \( a_0, a_1, a_2, b_0, b_1, b_2 \) symbols expressing affinity.

Differencing pixel values may lead to a gray-level function as

\[
v_i + h_0 + h_y (a_0 + a_1 x + a_2 y), \quad h_0 + h_x + h_2 y \rightarrow g_i (x, y) = 0. \text{Inde}
\]

\( x \) \( i \) varies for \( n \) pixels in a window. Symbol \( v_i \) denotes a zero-mean residual error having the Gaussian distribution, or \( \mathcal{N}(0, \sigma^2) \) with the \( \sigma \), symbol meaning the standard deviation; \( h_0 \) and \( h_1 \) linearly modify pixel values.

Linear expansion at approximate unknowns results in a system of error equations, defined as \( v + Ax = l \) with \( \sigma^2 Q \). By referring to Mikhail (1976), one obtains the least-squares solution of unknown parameters as

\[
s = Q_x A^T Q^{-1} l
\]

where apart from scaling, the covariance matrix, \( Q_x = (A^T Q A)^{-1} \), results from error propagation. The solution for measurement residuals is given by the \( 1 - Ax \) term, resulting in \( v = Q_x Q^{-1} l \), where \( Q_x (= Q - A Q A^T) \) is the corresponding covariance matrix.

A variance-component estimator is eventually formed by Wu et al. (2009) as

\[
\sigma^2 = \frac{v^T Q^{-1} v}{tr(Q_x Q^{-1} Q^{-1})} \quad \text{for } i \in \{1, 2, ..., m\}
\]

The simplified BIQUE (Best Invariant Quadratic Unbiased Estimator) by Crocetto et al. (2000) is an alternative method. Intuitively, adaptive weights in terms of the inverse of standard deviation; \( \delta \)-term, \( \delta \) symbol meaning the standard deviation; \( h_0 \) and \( h_1 \) linearly modify pixel values.

In determining weights, a special matrix is defined as

\[
K = \begin{pmatrix}
0 & K(r_1) & \cdots & K(r_m) \\
K(r_1) & 0 & \cdots & \vdots \\
\vdots & \vdots & \ddots & \vdots \\
K(r_m) & K(r_{m2}) & \cdots & 0
\end{pmatrix}
\]

where with \( r \in \mathbb{R}^2 \) meaning a Euclidean distance between points \( j \) and \( k \), both \( i \in \{1, 2, ..., m\} \), \( K(r) \) is the so-called fundamental solution of the biharmonic equation and takes on the form

\[
K(r) = \frac{1}{r^2} \log r^2.
\]

An interim vector consisting of weight coefficients is computed to be \( w_x = K^{-1} \delta \) and \( w_y = K^{-1} \delta \), in the respective line and sample directions.

At a place \( i \) other than the locations of the \( m \) tie points, a vector exists, \( k_i = (K(r_{i1}), K(r_{i2}), \ldots, K(r_{im})) \). In association with the \( w_x \) and \( w_y \) weights, the \( k_i \) vector is employed for an interpolation in a field of coordinate discrepancies, as follows (Du et al., 2008)

\[
\delta_i = w_i^T k_i = \delta x^T K^{-1} k_i
\]

\[
\delta_i = w_i^T k_i = \delta y^T K^{-1} k_i
\]

The corresponding values from the trend function have to be added to those of Equation 7, or \( \delta_x + \delta_i \) and \( \delta_y + \delta_i \), in order to achieve the TPS-based warping and resampling for the purpose of image registration. Later, the difference in performance between an affine transform and the thin-plate spline warping methods will be assessed.

3. MULTISOURCE IMAGE TESTS

3.1 SPOT and Formosat images

A combination of SPOT green (500–590 nm) and Formosat infrared (760–900 nm) bands and a plain rural area (Figure 1;
400 × 400 and 600 × 600 pixels, respectively) are chosen for a test on image registration. SIFT could only provide faulty tie points because of stark differences in the gray-level appearance, especially of farmland.

Still, an alternative technique depends on three to four manual seed points in an initial affine transform to align the experimental images. One detects linear edges by the Canny operator. Point correspondence is then established by the least cost resulting from a function that is made dependent upon between-point distance and between-edge angular error.

Potential homologous point pairs serve as input to LSM in terms of Equations 2–3, where the least-squares IDS is activated to safeguard against likely blunders. The final matching result is displayed in Figure 4. The TPS algorithm utilizes the available tie points to warp the Formosat-2 Level-1A 8-m slave image onto the geocoded SPOT-5 10-m master image. Figure 2 displays the warped result, employing alternate square subimages for visual impression.

As far as the accuracy of image registration is concerned, 57 point pairs were chosen randomly for checking. With 4 peripheral corner points serving as basic control, there were in total 62 tie points in controlling image warping. The computer program was executed for a series of 30 trial runs, and the averaged distance RMS error amounted to 0.50 pixels, as seen in Figure 3. Accuracy difference between the affine transform and TPS warping results that passed a significance test could be partly due to an uneven point distribution.

Figure 3. Comparison of registration accuracy between affine- and TPS-based methodologies, during which there were 57 different check points each time. The RMS values are different, and their difference is significant, by a Fisher test at a 10 percent level.

3.2 IKONOS and QuickBird images

An urban sector near a temple in Taipei and its meter-level panchromatic 1A satellite images are illustrated in Figure 4. The 400 × 400 pixels IKONOS master image was scanned with 1.0-m ground sampling distance on February 21, 2002. The 800 × 800 QuickBird 0.6-m resolution slave image was taken on December 15, 2002. In total, there are 84 matched point pairs.
Figure 5. Co-registration between the diagonal QuickBird and off-diagonal IKONOS subimages, overlaid in a checkerboard mode; A zooming-in window is attached for a close look at the seams.

Figure 6. Registration accuracy of high-resolution satellite images in radial RMSs; while the number of control and check points did not change, their spatial distribution altered. Both the affine and TPS algorithms work equally well, at a 10 percent significance level.

4. CONCLUSIONS AND OUTLOOK

Both the RANSAC and IDS processings are aimed at an exclusion of gross errors, with RANSAC being the preferred approach because it is a fast technique in handling huge datasets. If two images look dissimilar in brightness, the SIFT processing may be replaced by a technique based on between-edge cost minimization. Our algorithmic development takes full advantage of the complementary characteristics. Practically, it is meaningful to continue experimentation to learn under which circumstances the TPS methodology can reveal its merits.

Nonetheless, trials with the current computer program version to co-register optical Formosat-2 and radar ERS-2 images were poor and thus unworthy of noting. This is a persisting challenge that awaits to be overcome. Consequently, in a generalized term, one of our research goals is to devise a method that allows us to efficiently conduct digital interpretations regarding the fusion between heterogeneous images and line maps.

REFERENCES