CLASSIFIER FUSION OF HYPERSPECTRAL AND LIDAR REMOTE SENSING DATA FOR IMPROVEMENT OF LAND COVER CLASSIFICATION

B. Bigdeli a,*, F. Samadzadegan b, P. Reinartz b

a Dept. of Photogrammetry, Faculty of Engineering, University of Tehran, North Kargar Street, Tehran, Iran- (bigdeli, samadz@ut.ac.ir)
b Dept. of Photogrammetry and Image Analysis, Remote Sensing Technology Institute, German Aerospace Centre (DLR), Oberpfaffenhofen P.O Box 1116, D-82230 Wessling, Germany- peter.reinartz@dlr.de ,

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ABSTRACT:

The interest in the joint use of remote sensing data from multiple sensors has been remarkably increased for classification applications. This is because a combined use is supposed to improve the results of classification tasks compared to single-data use. This paper addressed using of combination of hyperspectral and Light Detection And Ranging (LIDAR) data in classification field. This paper presents a new method based on the definition of a Multiple Classifier System on Hyperspectral and LIDAR data. In the first step, the proposed method applied some feature extraction strategies on LIDAR data to produce more information in this data set. After that in second step, Support Vector Machine (SVM) applied as a supervised classification strategy on LIDAR data and hyperspectral data separately. In third and final step of proposed method, a classifier fusion method used to fuse the classification results on hyperspectral and LIDAR data. For comparative purposes, results of classifier fusion compared to the results of single SVM classifiers on Hyperspectral and LIDAR data. Finally, the results obtained by the proposed classifier fusion system approach leads to higher classification accuracies compared to the single classifiers on hyperspectral and LIDAR data.

1. INTRODUCTION

Data and sensor fusion methods emerged as a powerful methodology for improving the classification performance. Based on the existing different airborne and spaceborne remote sensing sensors, a wide spectrum of data can be available for the same observed site. For many applications the information provided by individual sensors are incomplete, inconsistent, or imprecise. Multiple sensors may provide complementary data, and fusion of information of different sensors can produce a better understanding of the observed site, which is not possible with single sensor (Simone et al, 2002; Pohl et al, 1998, Du et al, 2013).

Fusion on remote sensing data can be performed at the signal, pixel, feature and decision level. In signal level fusion, signals from different sensors are combined to create a new signal with a better signal-to-noise ratio than the original signals. Pixel level fusion consists of merging information from different images on a pixel-by-pixel basis to improve the performance of image processing tasks such as segmentation. Feature level fusion consists of merging features extracted from different images. In feature level fusion, features are extracted from multiple sensor observations, then combined into a concatenated feature vector and classified using a standard classifier. Decision level fusion consists of merging information at a higher level of abstraction. Based on the data from each single sensor, a preliminary classification is performed. Fusion then consists of combining the outputs from the preliminary classifications. The common aim of all fusion strategies is achieving greater accuracy (Du et al. 2013; Dong et al, 2009; Yun, 2004).

During the last decade and the near future the number of sensors and satellites has been growing steadily, and the coverage of the Earth in space, time and the electromagnetic spectrum is increasing correspondingly fast. Because of these advances in remote sensing sensors and different abilities of each sensor, sensor fusion become a research hotspot in remote sensing and has been extensively studied and applied to many areas since it usually outperforms a single classifier.

Airborne Light Detection and Ranging (LIDAR) provides accurate height information for objects on the earth, which makes LIDAR become more and more popular in terrain and land surveying. On the other hand hyperspectral imaging is a relatively new technique in remote sensing that acquires hundreds of images corresponding to different spectral channels. The rich spectral information of hyperspectral images increases the capability to distinguish different physical materials, leading to the potential of a more accurate image classification. As hyperspectral and LIDAR data provide complementary information (spectral reflectance, and vertical structure, respectively), a promising and challenging approach is to fuse these data in the information extraction procedure (Dalponte et al. 2008; Smatantran et al, 2011).

Delpante et al (2008) investigate the potentialities of the joint use of hyperspectral and LIDAR data, combined with advanced classification techniques based on Support Vector Machines, for forest classification. They applied a feature selection
strategy to automatically select the most effective features subset of hyperspectral data. Then LIDAR data were directly added to the selected hyperspectral bands for the classification. This paper presents a classifier fusion system based on SVM classifier for fusion of LIDAR and hyperspectral data. In the first phase, the proposed method applied some feature extraction strategies on two data sets to produce more information. In the second phase, Support Vector Machine (SVM) applied as a supervised classification strategy on LIDAR data and hyperspectral data. Finally, a classifier fusion method applied to fuse decisions of classifiers of LIDAR and Hyperspectral data. Proposed strategy compared with common classification methods of hyperspectral and LIDAR data.

2. PROPOSED CLASSIFIER FUSION METHOD

A SVM based classifier fusion system for fusion of hyperspectral and LIDAR data is introduced in this paper. Figure 1 shows the general structure of the proposed methodology.

First, feature extraction phase is applied on two data sets to produce more information. Second, the proposed methodology applies multi-class SVM for classification of each data set. Finally, a classifier fusion method used to fuse the SVM classification results which are applied in previous step on hyperspectral and LIDAR data. In classifier fusion system a set of classifiers is first produced and then combined by a specific fusion method. The resulting classifier is generally more accurate than any of the individual classifiers that make up the ensemble of classifiers.

2.1 Feature Extraction on LIDAR and Hyperspectral

The main step of classification process on LIDAR and hyperspectral data is extraction of proper features from data set. These features must contain useful information to discriminate between different regions of the surface. On LIDAR data, we have used different GLCM (Gray Level Co-occurrence Matrices) on DSM of LIDAR data. All types of GLCM features on LIDAR data are introduced in Table 1. Grey Level Co-occurrence Matrices are one of the earliest techniques used for image texture analysis. Let I be a given grey scale image. Let N be the total number of grey levels in the image. The Grey Level Co-occurrence Matrix defined by Haralick is a square matrix G of order N, where the (i, j)th entry of G represents the number of occasions a pixel with intensity i is adjacent to a pixel with intensity j. The normalized co-occurrence matrix is obtained by dividing each element of G by the total number of co-occurrence pairs in G.

\[
G_{N}(i, j) = \frac{1}{N} G_{i,j}(i, j)
\]  

(1)

Spectral features on hyperspectral data presented in table 2.

<table>
<thead>
<tr>
<th>Name</th>
<th>Formulation</th>
</tr>
</thead>
<tbody>
<tr>
<td>Roughness</td>
<td>[ \int \lambda(t) |D^2_e(t)|^2 dt ]</td>
</tr>
<tr>
<td>Entropy</td>
<td>[ \sum_{i,j} P_{i,j} \times (-\ln P_{i,j}) ]</td>
</tr>
<tr>
<td>Correlation</td>
<td>[ \text{corr} = \sum_{i,j} P_{i,j} \times (i - \text{Mean}_i) \times (j - \text{Mean}_j) \times \sqrt{\text{var}_i \times \text{var}_j} ]</td>
</tr>
<tr>
<td>Mean</td>
<td>[ \text{Mean}<em>i = \sum</em>{j=0}^{N-1} P_{i,j} \times i ]</td>
</tr>
<tr>
<td>Standard Deviation</td>
<td>[ \text{variance}<em>i = \sum</em>{j=0}^{N-1} P_{i,j} \times (i - \text{Mean}_i)^2 ]</td>
</tr>
<tr>
<td>Homogeneity</td>
<td>[ \sum_{i,j=0}^{N-1} P_{i,j} \times 1 + (i + j)^2 ]</td>
</tr>
</tbody>
</table>
Let, for a binary classification problem in a d-dimensional feature space $X$ be a training data set of $L$ samples with their corresponding class labels $y_i \in \{1, -1\}$. The hyper plane $f(x)$ is defined by the normal vector $w$ and the bias $b$ where $||w||$ is the distance between the hyper plane and the origin,

$$f(x) = wx + b$$  \hspace{1cm} (1)$$

For linearly not separable cases, the input data are mapped into a high-dimensional space in which the new distribution of the samples enables the fitting of a linear hyper plane. The computationally extensive mapping in a high dimensional space is reduced by using a positive definite kernel $k$, which meets Mercers conditions (Scholkopf and Smola, 2002).

$$\phi(x_i)\phi(x_j) = k(x_i, x_j)$$  \hspace{1cm} (2)$$

where $\phi$ is mapping function. The final hyper plane decision function can be defined as:

$$f(x) = \sum_{i=1}^{L} \alpha_i k(x, x_i) + \gamma$$  \hspace{1cm} (3)$$

where $\alpha_i$ are Lagrange multipliers.

Recently, SVMs have attracted increasing attention in remote-sensed hyperspectral data classification tasks and an extensive literature is available. Melgani and Bruzzone (2004) applied SVM for classification of hyperspectral data. They obtained better classification results compared to other common classification algorithms. In Watanachaturaporn and Arora (2004) study the aim is to investigate the effect of some factors on the accuracy of SVM classification. The factors considered are selection of multiclass method, choice of the optimizer and the type of kernel function.

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$$p(S|\alpha_k) = p(s_1, s_2, ..., s_L | \alpha_k) = \prod_{s_k} p(s_k | \alpha_k)$$ (4)


2.3 Classifier Fusion

Combining classifiers to achieve higher accuracy is an important research topic with different names such as combination of multiple classifiers, Multiple Classifier System (MCS), classifier ensembles and classifier fusion. In such systems a set of classifiers is first produced and then combined by a specific fusion method. The resulting classifier is generally more accurate than any of the individual classifiers that make up the ensemble (Kuncheva, 2004; Kuncheva and Whitaker, 2003).

The possible ways of combining the outputs of the L classifiers in a MCS depend on what information can be obtained from the individual members. Kuncheva (2004) distinguishes between two types of classifier outputs which can be used in classifier combination methods. The first types are classifiers that produce crisp outputs. In this category each classifier only outputs a unique class and finally a vector of classes is produced for each sample. The second type of classifier produces fuzzy output which means that in this case the classifier associated a confidence measure for each class and finally produces a vector for every classifier and a matrix for ensemble of classifier.

Naïve Bayes is a statistical classifier fusion method that can be used for fusing the outputs of individual classifiers. The essence of NB is based on the Bayesian theory (Kuncheva, 2004). Denote by $p(.)$ the probability. In equations 11, 12 and 13 $D_j, (j = 1, ..., L)$ is ensemble of classifiers where $s = [s_1, s_2, ..., s_L]$ denote the output labels vector of the ensemble for unknown sample $x$. Also, $\omega_k (k = 1, ..., c)$ denote the class labels and $c$ is the number of classes.

Then the posterior probability needed to label $x$ is

$$p(\omega_k | s) = \frac{p(\omega_k)p(s | \omega_k)}{p(S)} = \frac{p(\omega_k) \prod_{i=1}^{L} p(s_i | \omega_k)}{p(S)} , k = 1, ..., c$$ (5)

The denominator does not depend on $\omega_k$ and can be ignored, so the final support for class $\omega_k$ is

$$\mu_k(x) \propto p(\omega_k) \prod_{i=1}^{L} p(s_i | \omega_k)$$ (6)

Where $x$ is the sample data with unknown class label. The maximum membership rule (\(\mu\)) will label $x$ in $\omega_k$ class (winner class).
The practical implementation of the Naive Bayes (NB) method on a data set with cardinality \( N \) is explained below. For each classifier, a \( c \times c \) Confusion Matrix \( CM_i \) is calculated by testing data set (Kuncheva, 2004). The \((g, h)\)th entry of this matrix, \( cm^{(i)}_{k,h} \), is the number of elements of the data set whose true class label was \( \omega_g \) and were assigned by the classifier to class \( \omega_h \). By \( N_k \) we denote the total number of elements of data set from class \( \omega_k \). Taking \( \frac{cm^{(i)}_{k,h}}{N_k} \) as an estimate of the posterior probability, and \( \frac{N_k}{N} \) as an estimate of the prior probability, the final support of class \( \omega_k \) for unknown sample \( x \) is

\[
\mu_k(x) \propto \frac{1}{N_k^{L-1}} \prod_{i=1}^{L} cm^{(i)}_{k,h}
\]

(7)

The maximum membership rule will label \( x \) in \( \omega_k \) class.

The Bayes classifier has been found to be surprisingly accurate and efficient in many experimental studies. Kuncheva applied NB combination method on artificial data as classifier fusion strategy (Kuncheva, 2004). The NB classifiers have been successfully applied in text classification for example: Xu (1992) applied NB as classifier fusion method in applications to handwriting recognition. These researches have indicated the considerable potential of Naive Bayes approach for the supervised classification of various types of data.

3. EXPERIMENTAL RESULTS

3.1 Data Set

Two datasets, a hyperspectral image and a LIDAR derived Digital Surface Model (DSM), both at the same spatial resolution (2.5m) are applied in this paper. The hyperspectral imagery has 144 spectral bands in the 380 nm to 1050 nm region. The dataset was acquired over the University of Houston campus and the neighbouring urban area. Two data sets were acquired on June 22, 2012. From the 15 different land cover classes available in the original ground truth; two were discarded; since only few training samples were available for them. Also, some of these classes merged (Residential and Commercial classes merged to produce Building class; Road, Highway and Railroad merged to produce Road class and Parking lot1 and Parking lot2 merged to produce Parking class). Available nine land cover classes were used to generate a set of training data and a set of testing data (Table 3).

Table 3. Houston University lands cover classes and available reference samples

<table>
<thead>
<tr>
<th>ID</th>
<th>Class Name</th>
<th>Reference number</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Grass-Healthy</td>
<td>198</td>
</tr>
<tr>
<td>2</td>
<td>Grass-Stressed</td>
<td>190</td>
</tr>
<tr>
<td>3</td>
<td>Grass-Synthetic</td>
<td>192</td>
</tr>
<tr>
<td>4</td>
<td>Tree</td>
<td>188</td>
</tr>
<tr>
<td>5</td>
<td>Soil</td>
<td>186</td>
</tr>
<tr>
<td>6</td>
<td>Water</td>
<td>182</td>
</tr>
<tr>
<td>7</td>
<td>Building</td>
<td>387</td>
</tr>
<tr>
<td>8</td>
<td>Road</td>
<td>565</td>
</tr>
<tr>
<td>9</td>
<td>Parking</td>
<td>376</td>
</tr>
</tbody>
</table>

Figure 2. Data sets a)LIDAR derived DSM and b) hyperspectral data over Houston campus

3.2 Experimental Results

On the LIDAR data set, the feature space was produced based on the definition of features on this data. Figure 3 shows some of these features.

After feature extraction, for the task of data classification, one-against-one SVM is applied on hyperspectral and LIDAR data. Proposed strategy applies grid search as the model selection of SVM classifier. The search range for \( C \) is \([2^{-2}, 2^{10}]\), and \([2^{-10}, 2^{2}]\) for \( \gamma \). After classification of LIDAR and hyperspectral data, Naive Bayes (NB) is applied as classifier fusion approaches on the outputs of classifiers.

Table 4. Results of different classification strategies

<table>
<thead>
<tr>
<th>Measure</th>
<th>LIDAR</th>
<th>Hyperspectral</th>
<th>Classifier fusion</th>
</tr>
</thead>
<tbody>
<tr>
<td>OA</td>
<td>37.85</td>
<td>90.02</td>
<td>93.8</td>
</tr>
<tr>
<td>Kappa</td>
<td>38.59</td>
<td>91.4</td>
<td>94</td>
</tr>
</tbody>
</table>

This contribution has been peer-reviewed. The peer-review was conducted on the basis of the abstract.
In order to show the merits of the proposed methodology, this paper implements a SVM on hyperspectral and LIDAR data separately.

Table 4 and Figure 4 represent the overall accuracy of different classification strategies. Based on these results, proposed classifier fusion on hyperspectral and LIDAR data improves the results of independent classifiers on each data set. Figure 5 demonstrates the accuracies of different classification strategies for all nine classes of data set. The analysis of figure 5 shows that for some classes such as class 4 (e.g. Tree) and class 7 (e.g. Building) LIDAR data perform better than 50% in terms of classification accuracy.

The reasonable cause of these results is that Tree and Building are 3D class that height information of LIDAR data could highlight them in classification. In the same time, LIDAR independently could not detect Grass classes, soil and water because these classes need spectral information. Finally, figure 6 demonstrates the classification map of classifier fusion strategy on hyperspectral and LIDAR data.
4. CONCLUSION

In this paper, the performance of a classifier fusion system for classification of hyperspectral and LIDAR imageries is assessed. The proposed approach compares proposed classifier fusion system on hyperspectral and LIDAR data with classifiers that are applied independently on each data set and with a simple integration of these two data sets. Hyperspectral images provide a detailed description of the spectral signatures of classes, whereas LIDAR data give detailed information about the height but no information on the spectral signatures. Consequently, fusions of these two data sets provide more information and improve classification result.

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References


